

استخدام نماذج بوكس جينكنز للتنبؤ بإنتاج سمنت العراق وبيان مدى كفايتها في ظل مشاريع الاعمار المستقبلية

الخلاصة

(2013 - 2003)

(B -J)

ARIMA (2, 1, 0)

1. المقدمة

Box - Jenkeins 1970 (ARMA).

2. هدف البحث

(2013 - 2003)

(B -J)

3. الاطار النظري

(B-J)

(Box Jenkins)

-:

1. (Time series)

2. (The seasonalty)

3. (Stationary)

4. (Autocorrelation)

	-	-:
	:	
	-	
	.(The – non Seasonal Models)	.1
	.(The Seasonal Models)	.2
		-:
:		
	(Identification)	.
	(Estimation)	.
	(Diagnostic Checking)	.
	(Forecasting)	.
		.4
2002 – 1952	.	-
	(1)

(1)

2002 - 1952

1952	11192	1971	446739	1990	2680113
1953	71572	1972	427026	1991	2924153
1954	91757	1973	441885	1992	3701467
1955	123486	1974	462736	1993	3565071
1956	184647	1975	440152	1994	715689
1957	221661	1976	485105	1995	1389884
1958	369201	1977	433913	1996	1390635
1959	341399	1978	442922	1997	1210300
1960	386945	1979	750683	1998	795630
1961	232543	1980	918582	1999	584879
1962	240885	1981	1094845	2000	788522
1963	290015	1982	1139646	2001	770625
1964	320895	1983	1038790	2002	808057
1965	301019	1984	995368		
1966	366427	1985	915040		
1967	384988	1986	2381420		
1968	500025	1987	3704828		
1969	452564	1988	3974761		
1970	451273	1989	3049358		

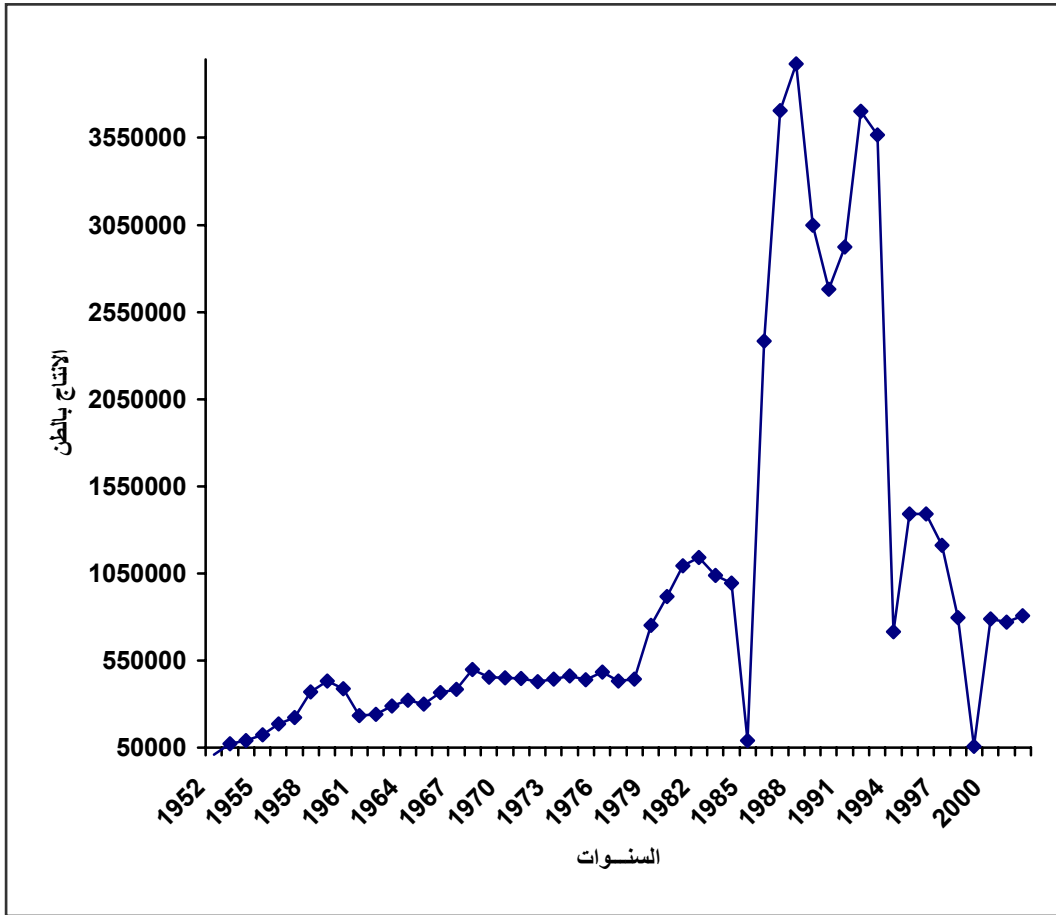
-(

(1)
Auto)

(Correlation Function

(1)

2002 - 1952



$$-1.96 \times \frac{1}{\sqrt{n}} \leq r_k \leq 1.96 \times \frac{1}{\sqrt{n}}$$

:

$$\frac{n}{4}$$

L

$$k = 0, 1, 2, \dots, L$$

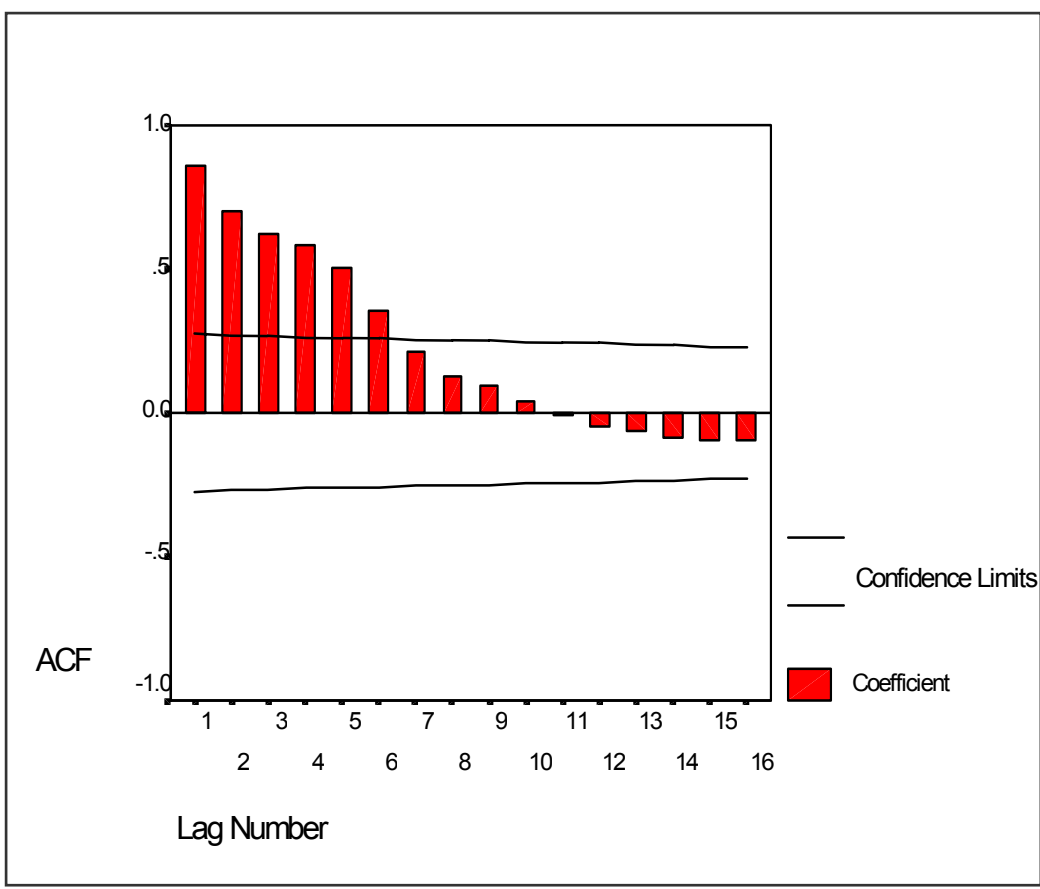
: r

: n

(2)

$$-0.275 < r_k < 0.275$$

(2)

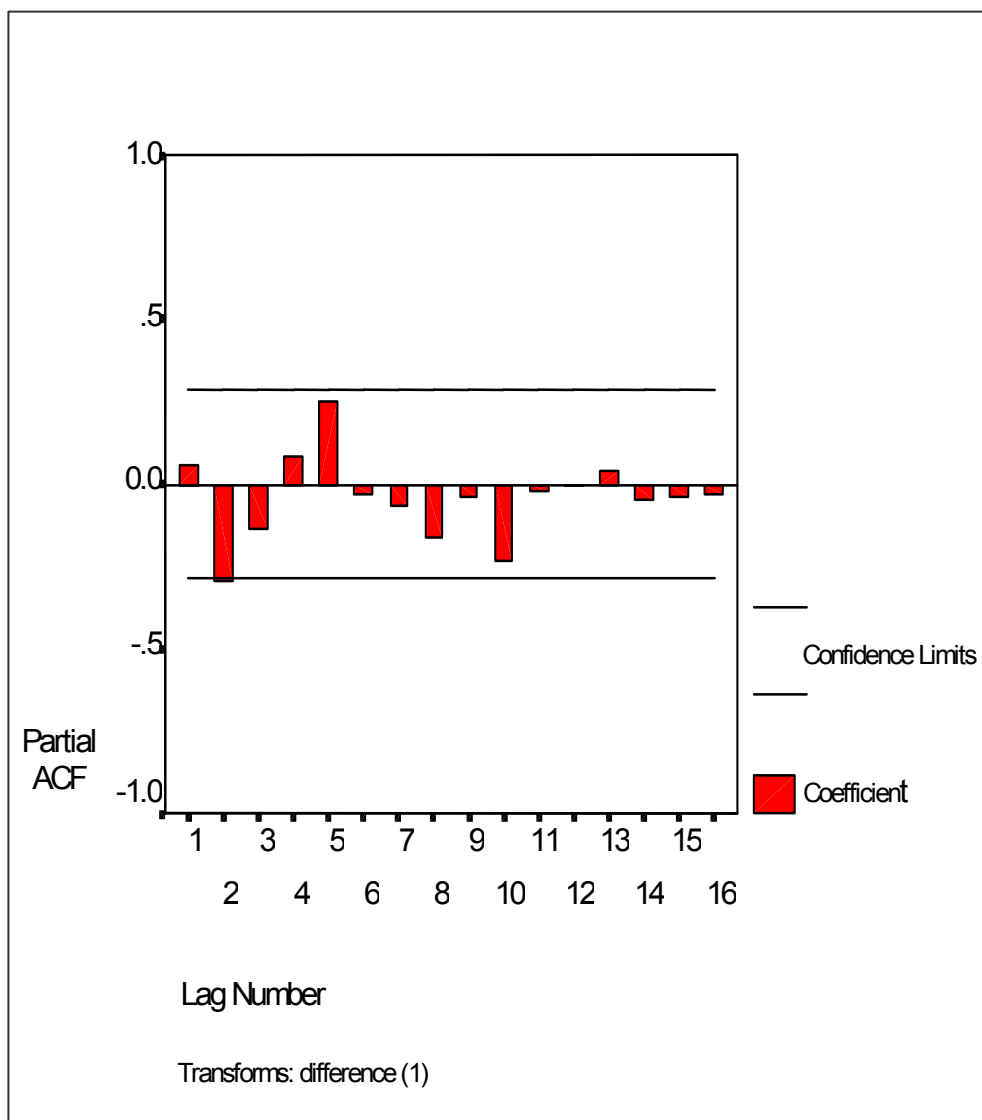


(3)

(4)

$$-0.277 < r_k < 0.277$$

(3)



-(

(5 4)

(Auto Regressive Model)

(Moving

Average Model)

(Pure Auto Regressive Model)

. ARIMA (2, 1, 0)

(k = 2)

(Mean

)

Square Error MSE)

MSE

MSE (2

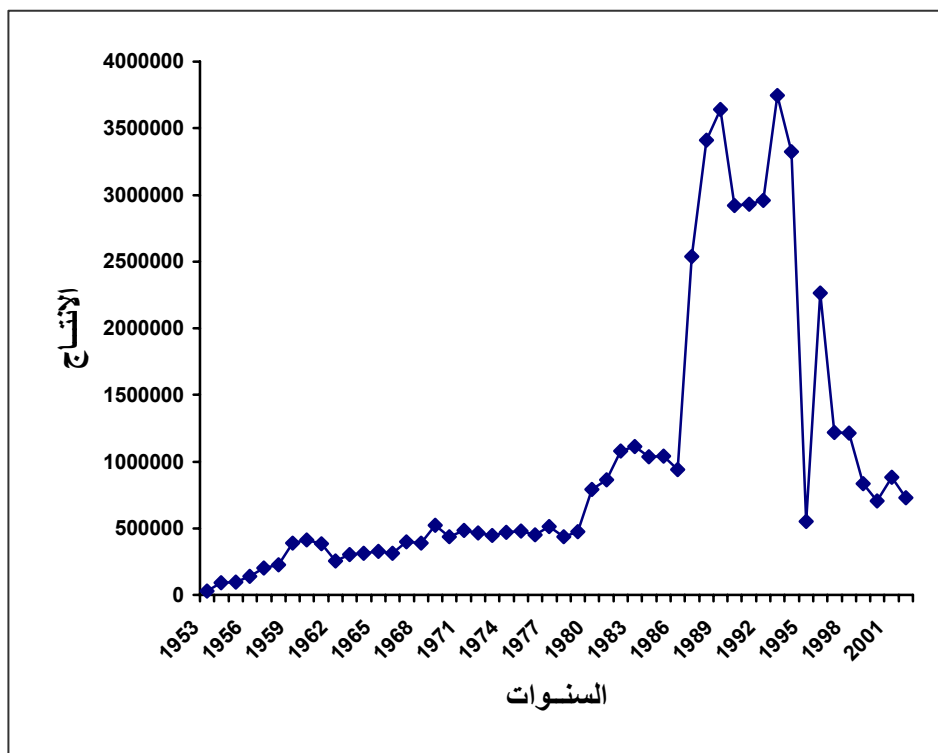
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ARIMA (2, 1, 0)

$$X_t = 0.0822 X_{t-1} - 0.28134 X_{t-2} - a_t$$

(.3)

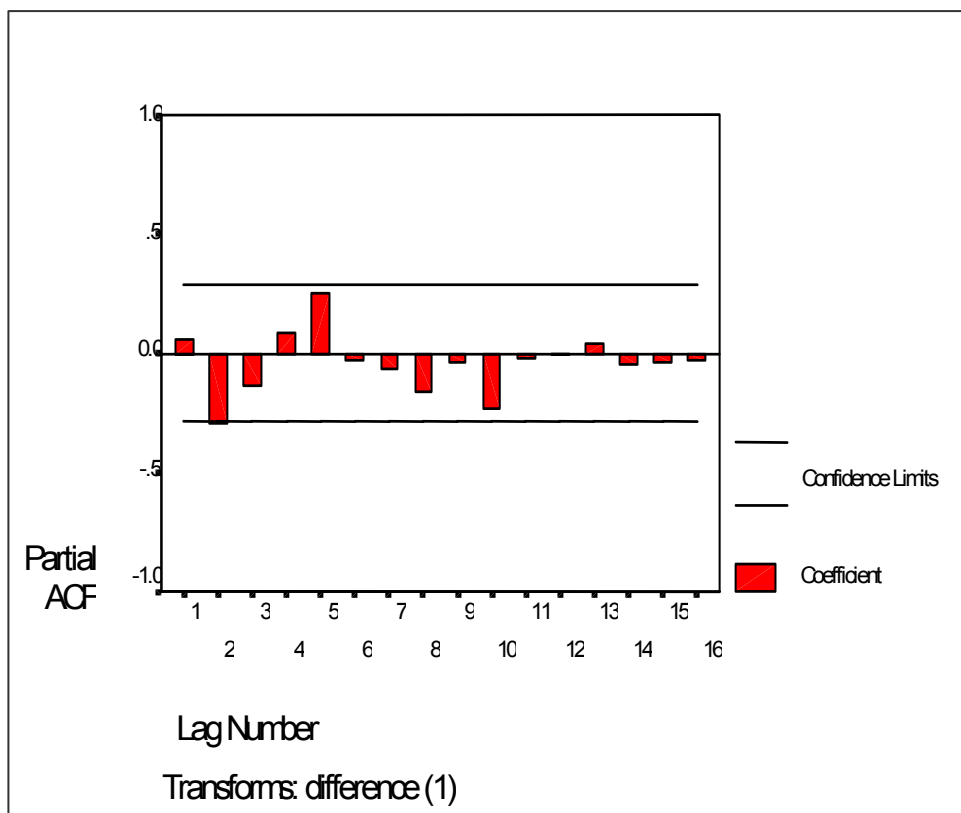
(4)



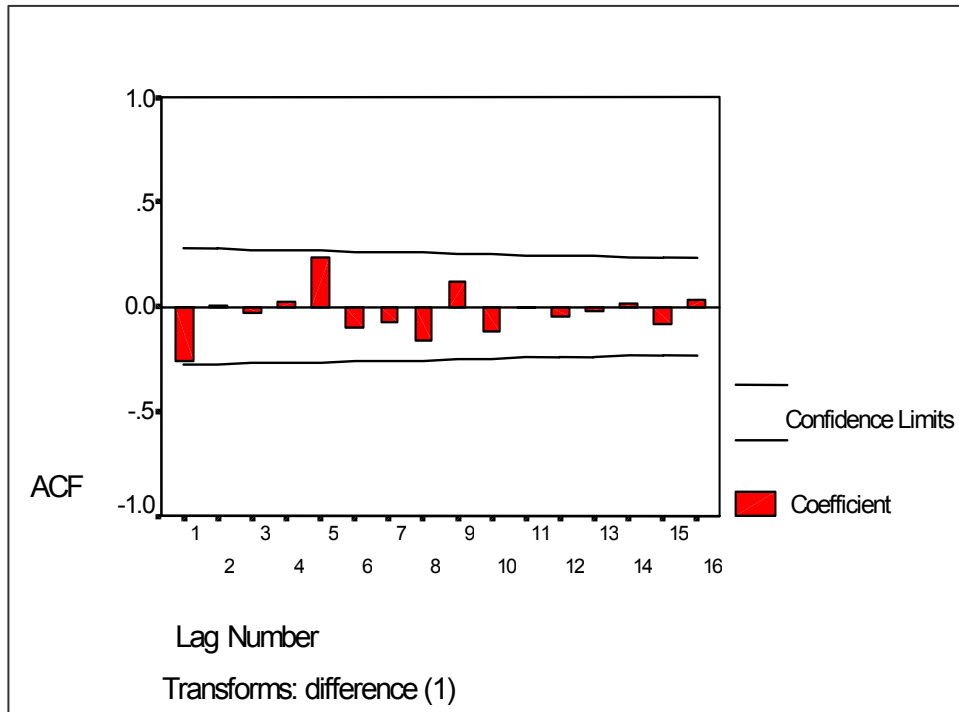
(2)

	MSE	
ARMA (1, 1, 0)	3.00218 E11	$X_t = 0.06413 X_{t-1} + a_t$
ARMA (0, 1, 1)	2.99023 E11	$X_t = a_t - 0.10135 a_{t-1}$
ARMA (1, 1, 1)	3.03775 E11	$X_t = -0.8555 X_{t-1} + a_t - 0.21589 a_{t-1}$
ARMA (2, 1, 0)	2.81216 E11	$X_t = 0.0822 X_{t-1} - 0.28134 X_{t-2} + a_t$
ARMA (0, 1, 2)	2.87864 E11	$X_t = a_t - 0.026 a_{t-1} + 0.23842 a_{t-2}$
ARMA (2, 1, 1)	2.87233 E11	$X_t = 0.12046 X_{t-1} - 0.32391 X_{t-2} + a_t + 0.07381 a_{t-1}$
ARMA (2, 1, 2)	2.86125 E11	$X_t = 0.17031 X_{t-1} - 0.31479 X_{t-2} + a_t + 0.11456 a_{t-1} + 0.0356 a_{t-2}$
ARMA (3, 1, 0)	2.82401 E11	$X_t = 0.3885 X_{t-1} - 0.26853 X_{t-2} - 0.15395 X_{t-3} + a_t$
ARMA (0, 1, 3)	2.90855 E11	$X_t = a_t - 0.06549 a_{t-1} + 0.19606 a_{t-2} + 0.13473 a_{t-3}$

(5)



(6)



(3)

ARMA (2, 1, 0)

Parameter	Estimate	Std. error	T - value	P - value
AR(1)	0.08218	0.13851	0.59332	0.55575
AR(2)	-0.28134	0.13852	-2.03111	0.04780
Mean	15624.65871	4482.19240	3.48594	0.00106

Constant 18736.45347

Model fitted to differences of order 1

Estimated white noise variance = 2.81216 E11 with 48 degree of freedom

Estimated white noise standard deviation (std err) = 531240

Chi - square test statistic on first 20 residual auto correlation = 8.85123

With probability of a larger value given white noise = 0.96309

Back forecasting : no Number of iterations performed : 1

χ^2

-(

$$Q = (N - d) \sum_{k=1}^n r_k^2$$

:

:

: m

: d

: N

(8.85123)

Q

(31.41)

(0.95)

(22 2 0)

χ^2

(8 7)

χ^2

ARIMA (2, 1, 0)

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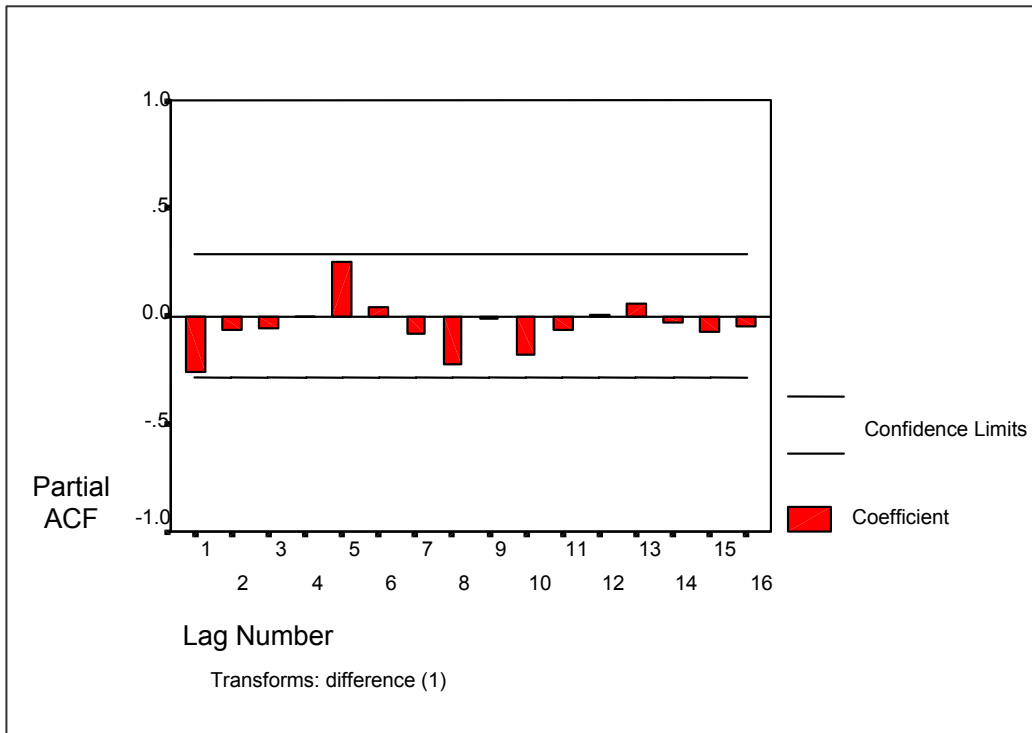
ARIMA (2, 1, 0)

(0.95)

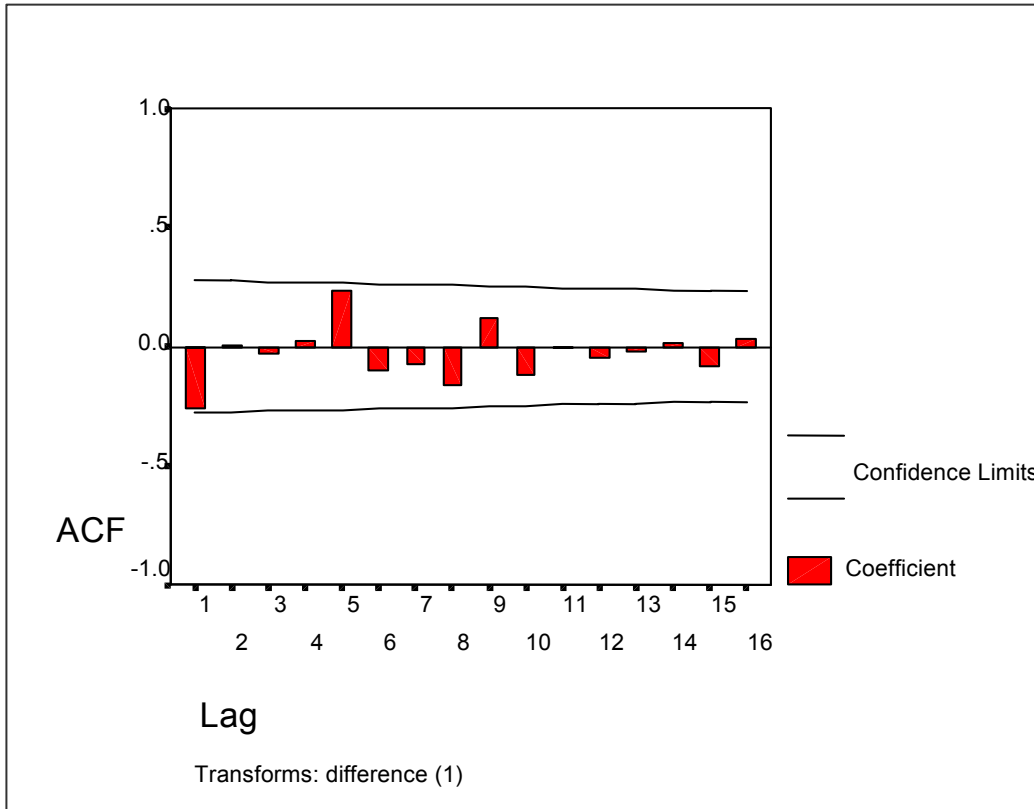
. (4)

(7)

ARMA (2, 1, 0)



(8)
ARMA (2, 1. 0)



(4)

2003	- 233469	834905	1.90128 E6
2004	- 728900	845316	2.41953 E6
2005	- 937806	857355	2.65252 E6
2006	- 1.09694 E6	874152	2.84524 E6
2007	- 1.27287 E6	890882	3.05463 E6
2008	- 1.4421 E6	906267	3.25464 E6
2009	- 1.59061 E6	921562	3.43373 E6
2010	- 1.72625 E6	937226	3.6007 E6
2011	- 1.85531 E6	952947	3.7612 E6
2012	- 1.97812 E6	968568	3.91525 E6

-5 الاستنتاجات والتوصيات

.1

.2

: ARIMA (2, 1, 0)

$$X_t = 0.0822 X_{t-1} - 0.28134 X_{t-2} - a_t$$

.3

(4)

.4

.1

.2

.3

-6 المصادر

1. Box G. E. P. and Jenkins, G. M (Time series analysis forecasting and control) San Fransiscw, holdenday, 1979.

ARIMA

.2

.1986

.3

. 1982

.4

ARIMA

.1981